## 8.5 – Amortization & Loans

**Amortized Loans** – Lender loans a borrower a lump sum of money. The borrower pays back that amount plus any interest charged by making equal payments at regular intervals.

$$PMT = \frac{P\left(\frac{r}{n}\right)}{\left\lceil 1 - \left(1 + \frac{r}{n}\right)^{-nt} \right\rceil}$$

 $PMT = \frac{P\left(\frac{r}{n}\right)}{\left[1 - \left(1 + \frac{r}{n}\right)^{-nt}\right]}$  P = Principal of loan or Present Value<math display="block">PMT = Amount of each payment<math display="block">r = Annual Interest Rate (in decimal form)<math display="block">n = Number of periods per year<math display="block">t = Time (in years)Payments are made at the end of each<math display="block">compounding period.

This formula can only be used if the number of payments per year is equal to the number of compounding periods in a year. A different formula would be needed if these are not equal

**Points** are a one-time charge made at closing of a mortgage. One point equals 1% of the loan value. Customers can often pay more points to get a lower interest rate.

## **Examples**

Determine the amount of a loan (P) if borrower can afford a known payment (PMT). Solving for P in the amortization formula gives

$$P = \frac{PMT \left[ 1 - \left( 1 + \frac{r}{n} \right)^{-nt} \right]}{\left( \frac{r}{n} \right)}$$

**Example** 

**Amortization Schedules** – Table for a loan that breaks down the amount of each payment that goes towards interest and the amount that goes to paying down the principal.

You want to get a loan for \$2000 at 6% compounded semiannually in which you make equal payments and pay off the loan in 3 years.

First Find Payment:

Part of each payment will go to play off interest that has accrued during that period while the rest pays down the principal.

